

**SALT LAKE COUNTY  
SHERIFF'S OFFICE**



# Rescue Physics



- Force Units and Strength of Components
- Strength of Anchors
- Basic Statics
- The T-Method and Haul System Forces
- Vectors

Highlines, Anchors, Direction Changes, Rope Loads and Slopes

- Friction

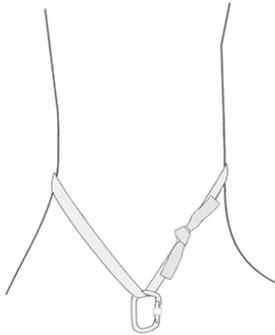


This presentation can be downloaded at

<http://www.xmission.com/~tmoyer/testing> (© Tom Moyer except where noted)

Many images in this presentation were generated with RescueRigger (rescuerrigger.com)

# Strength of Components

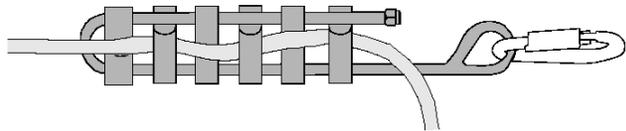


Webbing: 4,000 lb per strand - knot

Tree: Bombproof?



Carabiners: 23 kN = 5,200 lb



Brake Bar Rack: 44 kN = 10,000 lb



Pulleys: 36 kN = 8,100 lb



Litter end-to-end: 18 kN = 4,100 lb

Rope: 29 kN = 6,500 lb new (~4,500 lb with knot)

# Safety Factors and Forces

- Anchors should be able to hold rescue loads with “sufficient” safety factor
  - Rescue load = 1000 lb
- “Sufficient” safety factor
  - NFPA says 15:1
  - Some people say 10:1
  - Some people say 4:1
- Know the forces, know the equipment

What is the safety factor used in the design of this airplane?



# Force Units



1 Newton (= .22 lb = 3.6 oz)



1 kiloNewton  
(= 1000 N = 225 lb)



# 1 Carabiner equals



23 Dans:  
23 kN = 5,200 lb



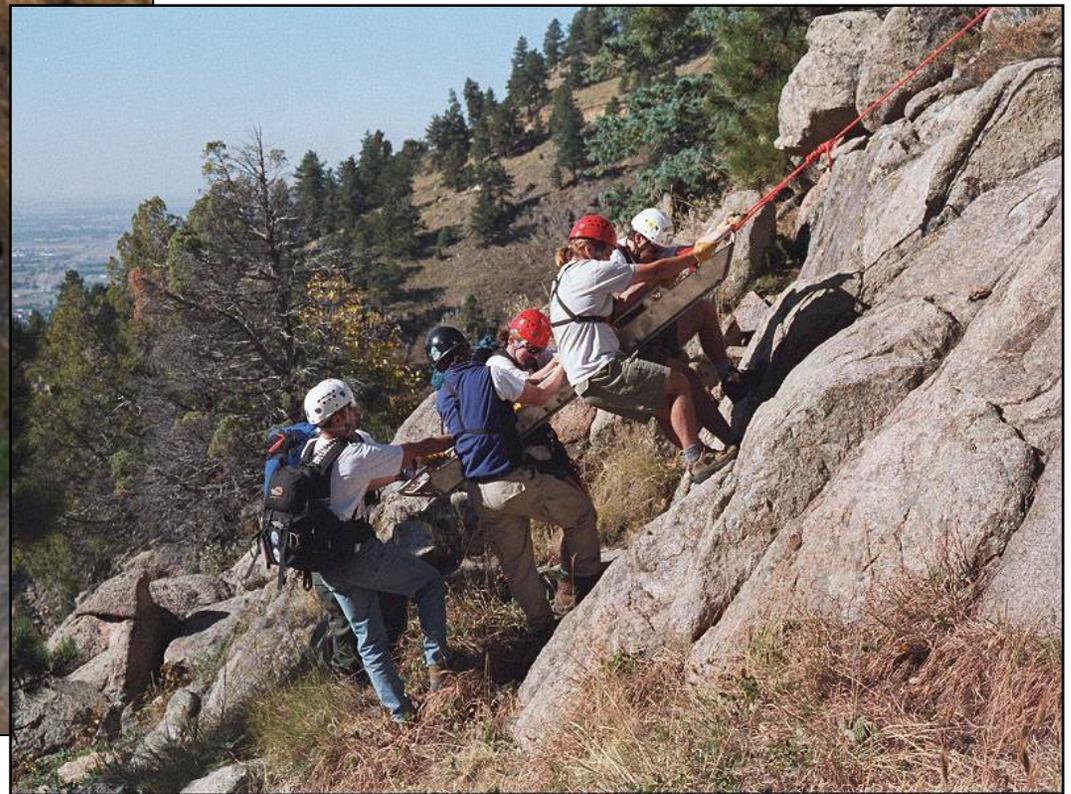
1.5 Subarus: 15 kN each = 3,400 lb



90% of a Hummer: 26 kN each = 5,800 lb

# Rescue Loads

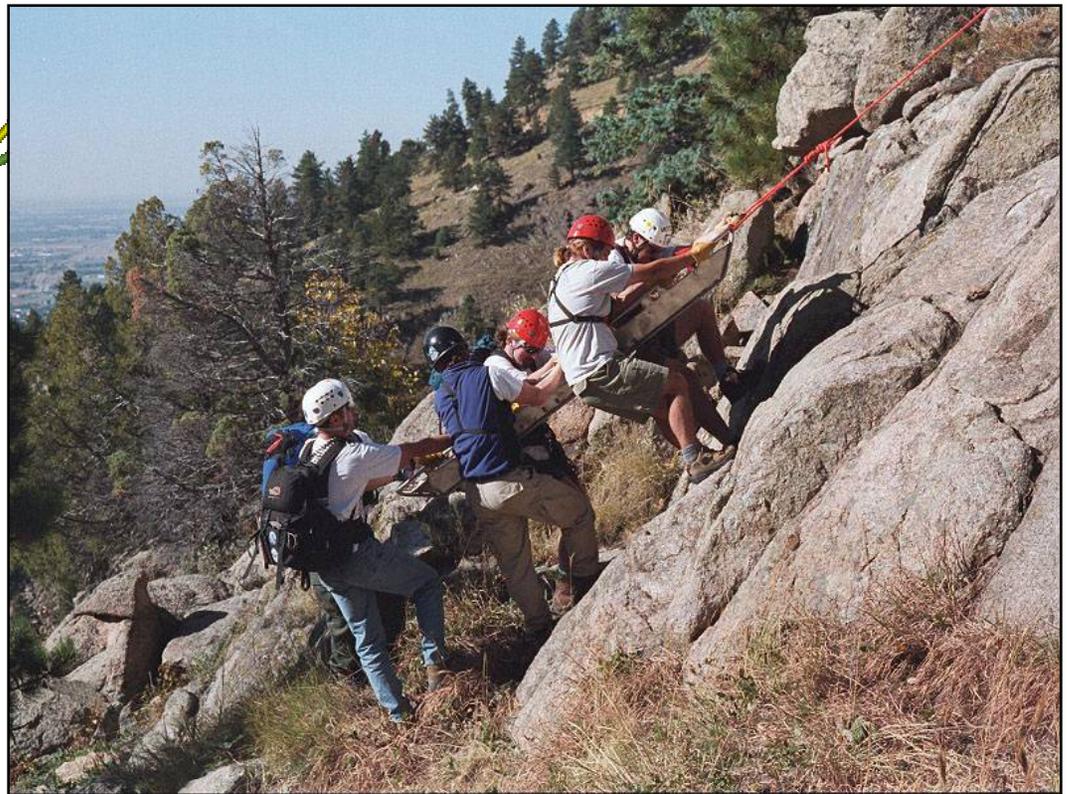
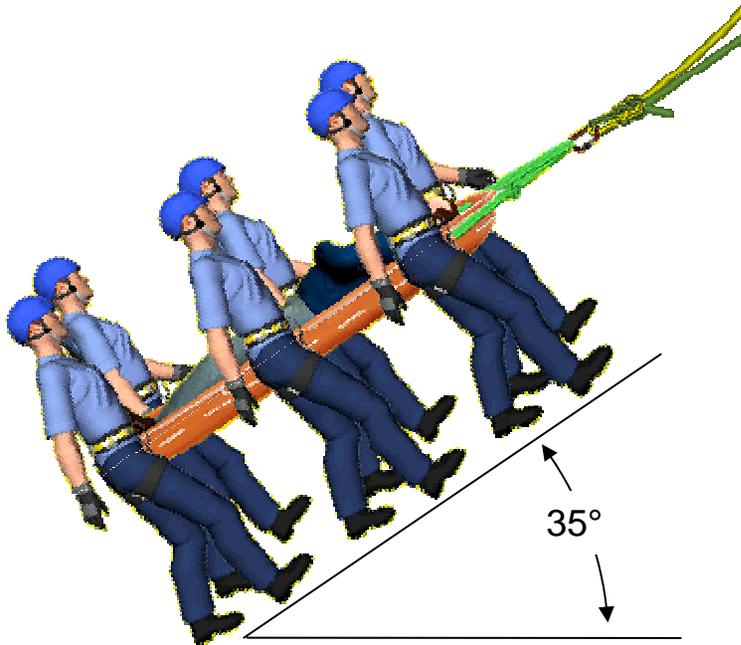
Which Situation has  
higher load?



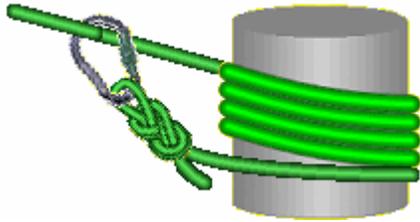
# Rescue Loads

1000 lb load

Which Situation has higher load?



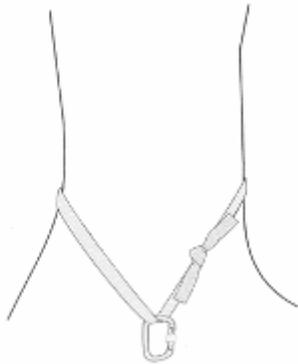
# Strength of Anchors



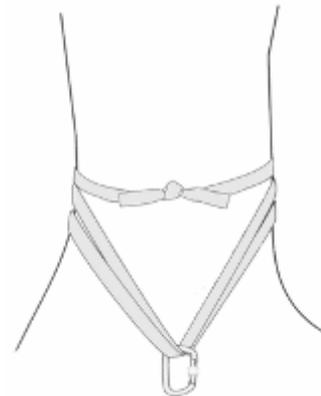
No Knot:  
Rope strength (**6,500 lb**)



Girth Hitch:  
 $2 \times 4,000 \text{ lb} \approx \mathbf{8,000 \text{ lb}}$

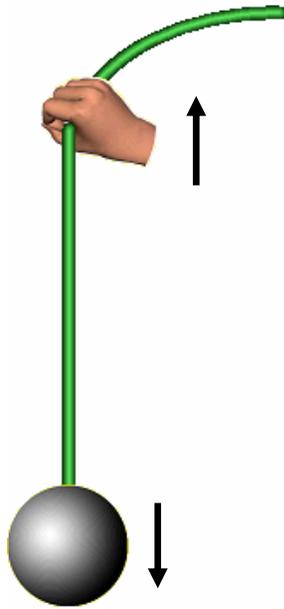


Tied:  
 $2 \times 4000 \text{ lb} \times \frac{2}{3} \approx \mathbf{5,300 \text{ lb}}$

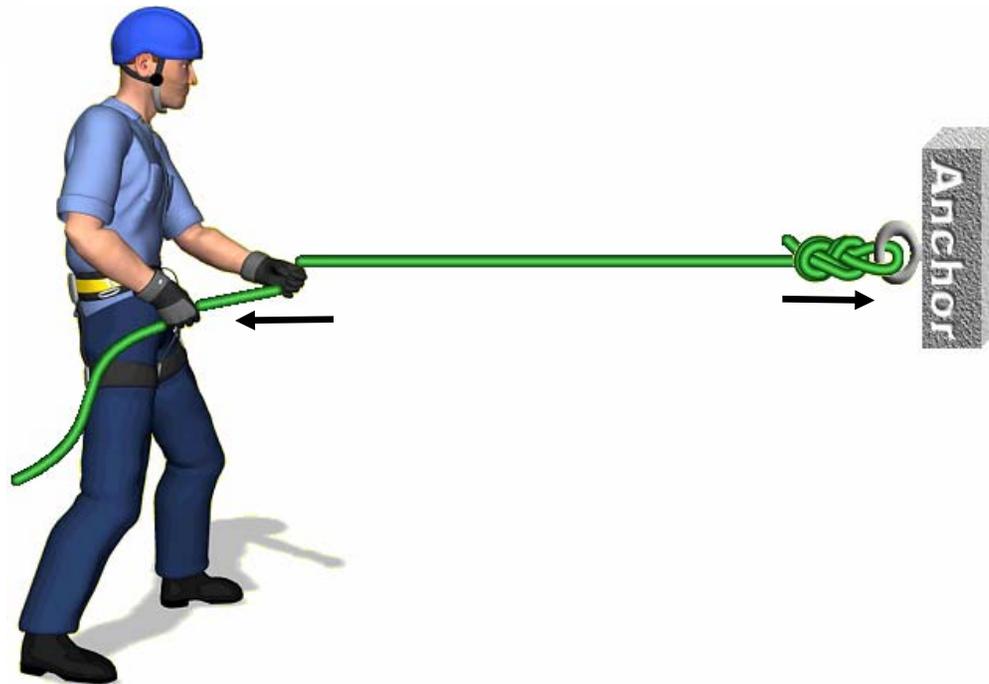


Wrap 3 Pull 2:  
 $4 \times 4000 \text{ lb} \approx \mathbf{16,000 \text{ lb}}$

# Statics



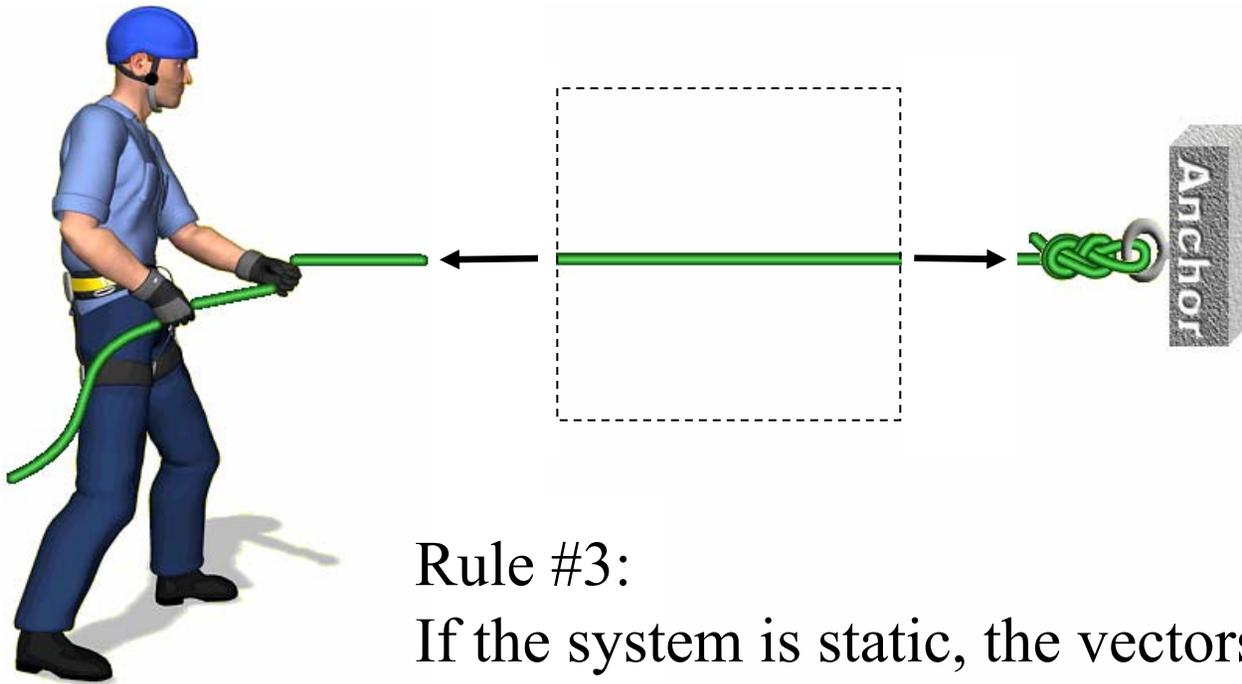
Rule #1: Every action has an equal and opposite reaction.



# Statics

Rule #2:

Draw a box around any piece of the system.  
Replace anything you cut with force vectors.

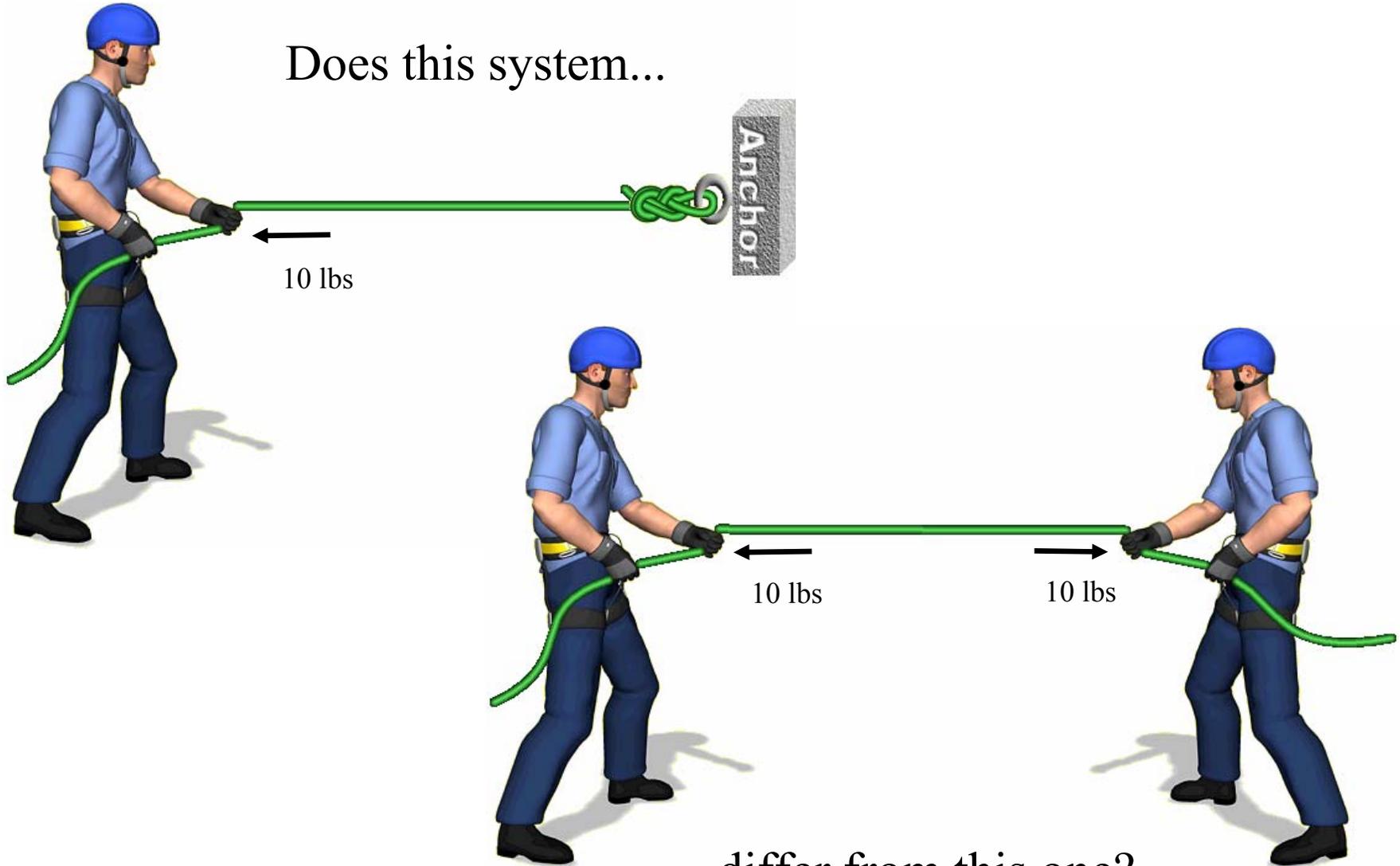


Rule #3:

If the system is static, the vectors have to add to zero.

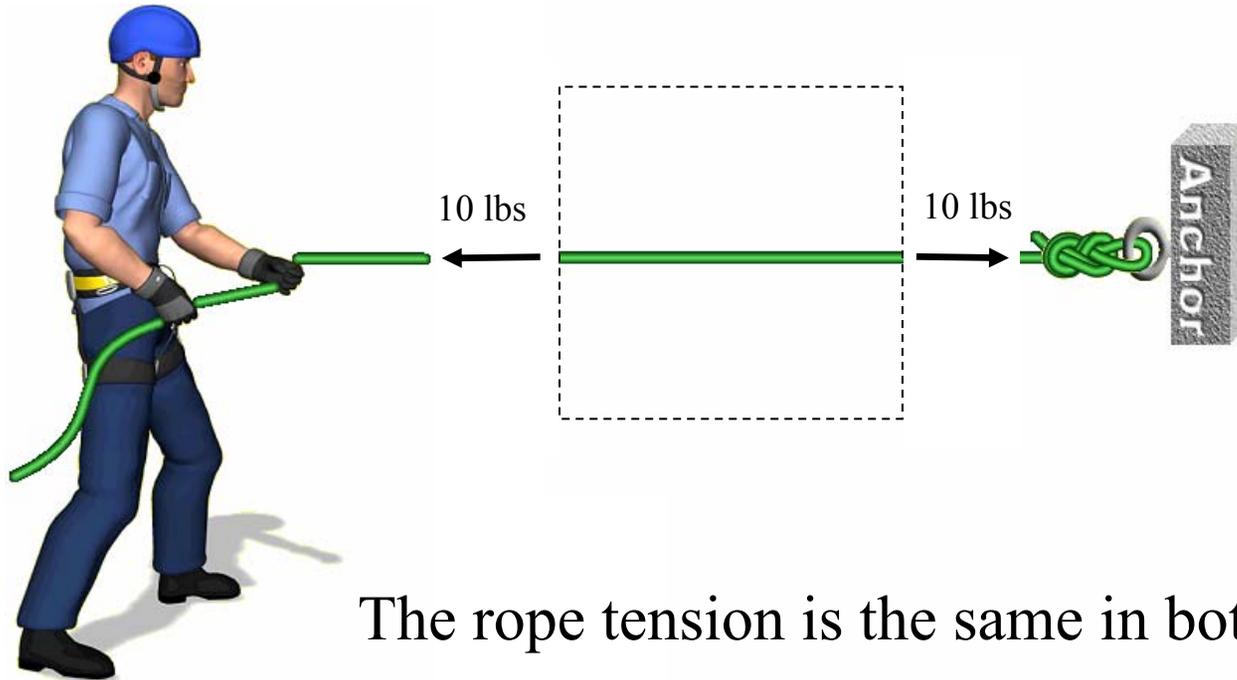
# Statics

Does this system...



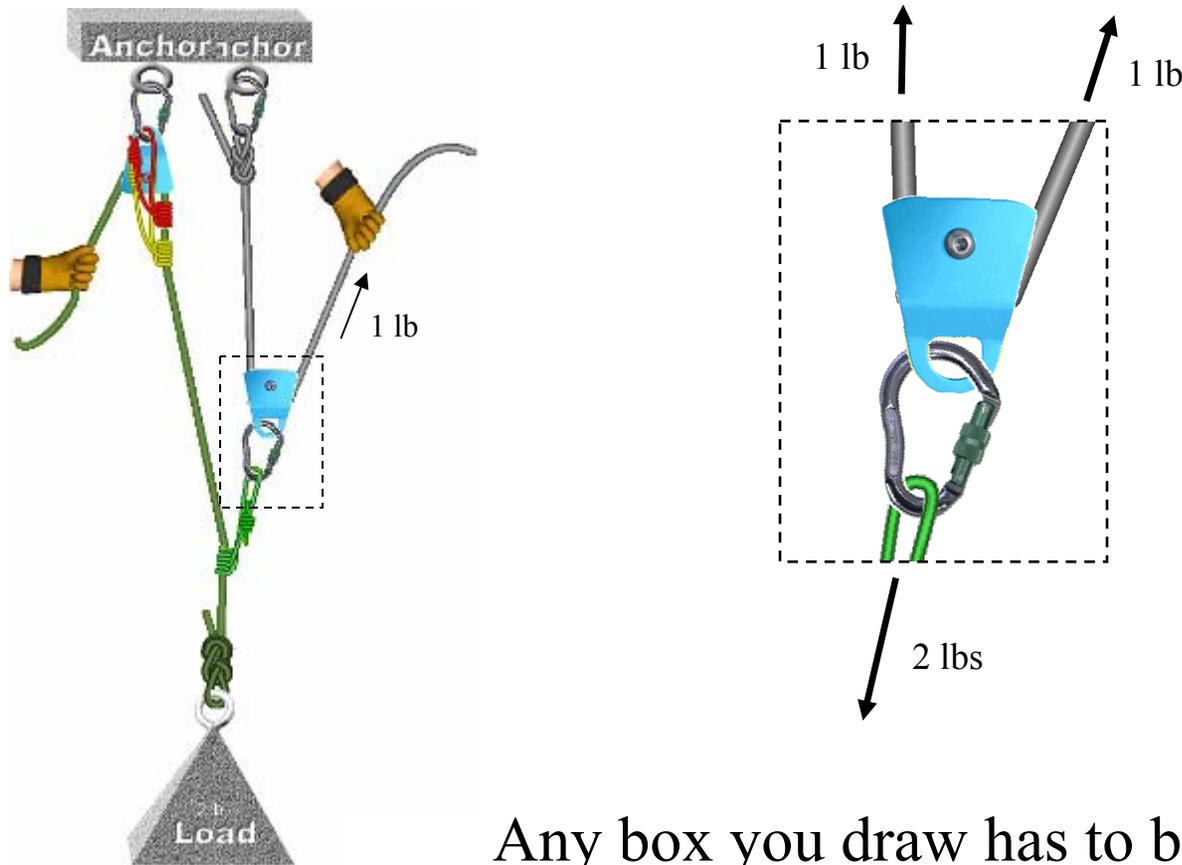
differ from this one?

# Statics



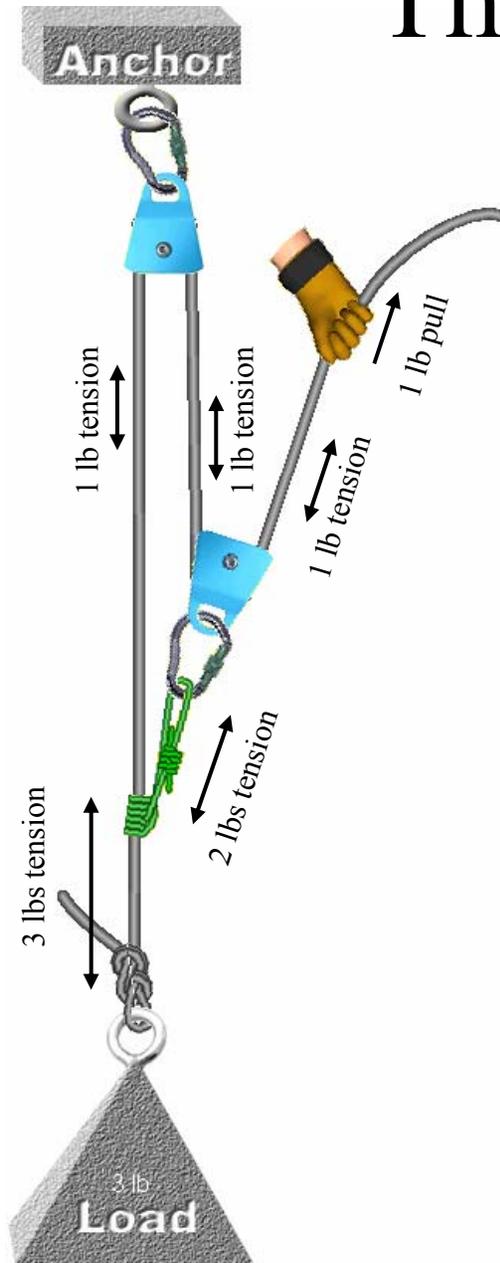
The rope tension is the same in both systems

# The T-Method



Any box you draw has to be balanced.  
 $2 \text{ pounds in} = 2 \text{ pounds out}$ .

# The T-Method



Start at the haul rope with 1 lb pull.

Trace the rope through the system and find the tension at each point.

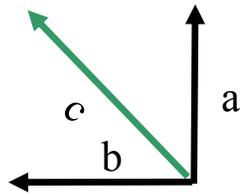
# Vectors

Vectors have a magnitude and a direction.

Vectors are added graphically.

Arrow lengths represent the magnitude of the forces.

Force arrows can be moved around as needed.

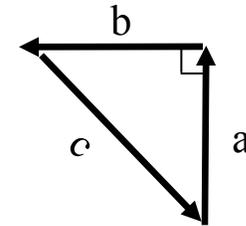


$$a + b = c$$



$$a + b = 0$$

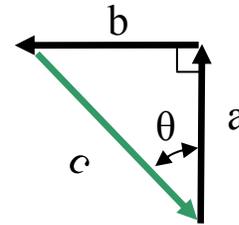
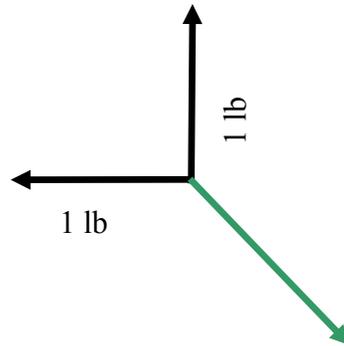
static



$$a + b + c = 0$$

static

# Vectors



Pythagorean theorem:

$$c^2 = a^2 + b^2$$

$$c^2 = 1 + 1$$

$$c \approx 1.4$$

Useful Trigonometry:

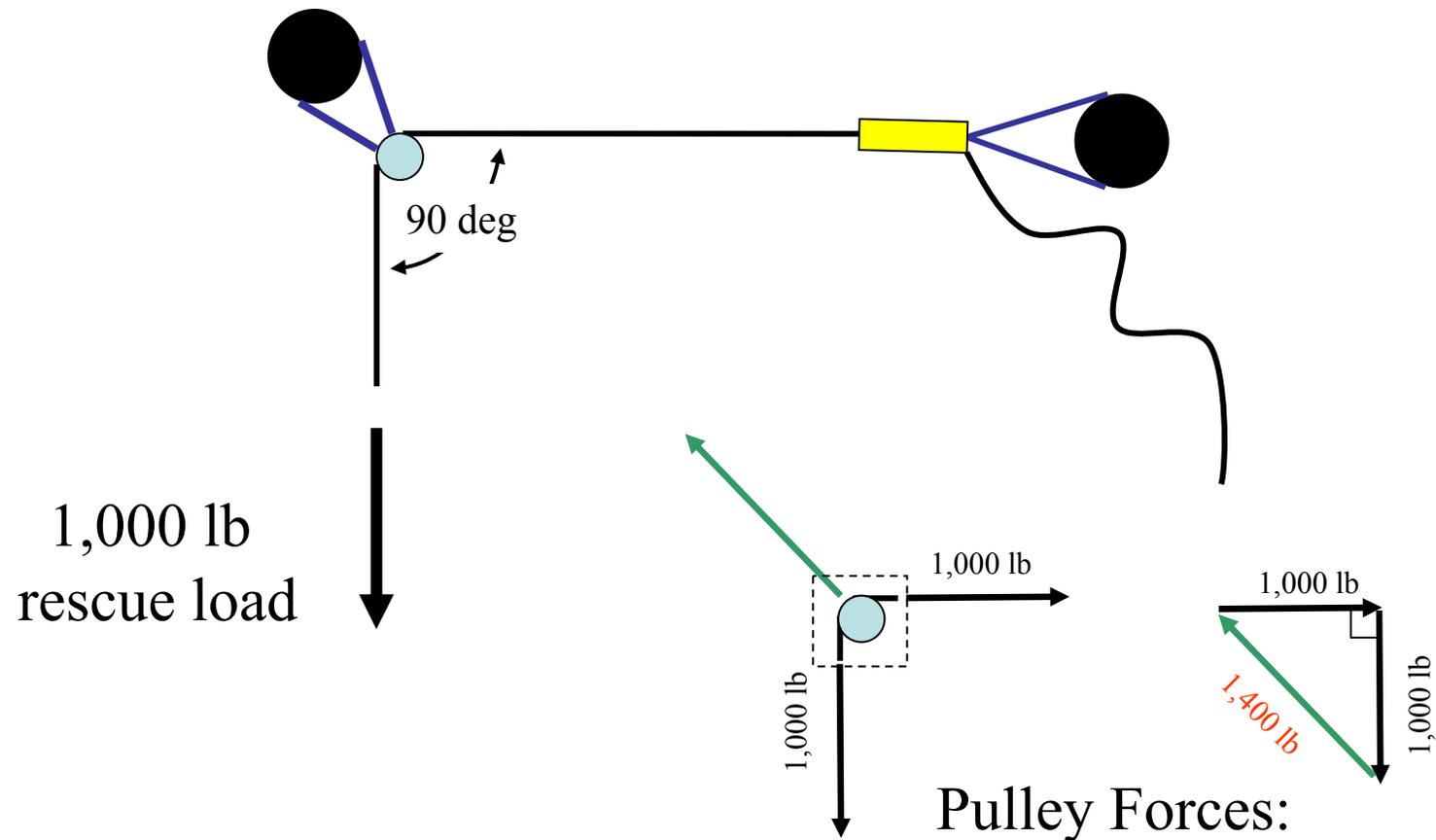
$$\text{Sin } \theta = b / c$$

$$\text{Cos } \theta = a / c$$

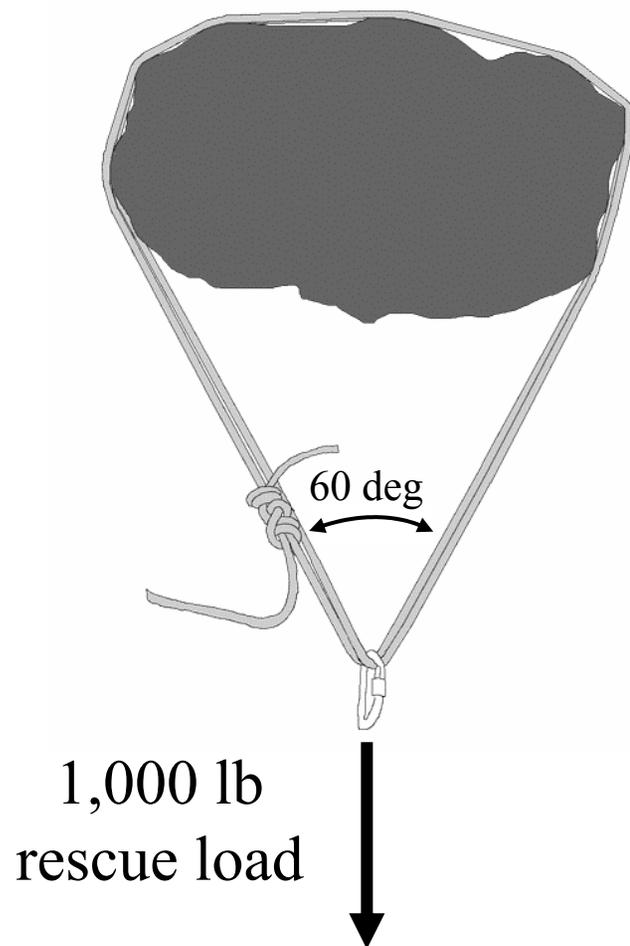
$$\text{Tan } \theta = b / a$$

# Direction Change Forces

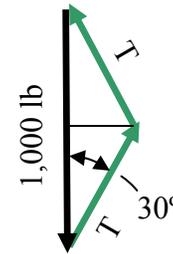
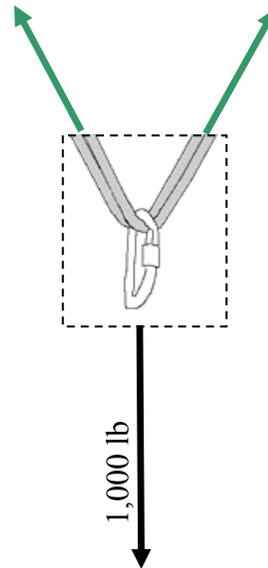
Which tree is supporting the largest force?



# Internal Anchor Forces



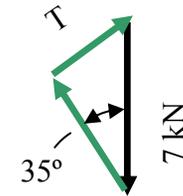
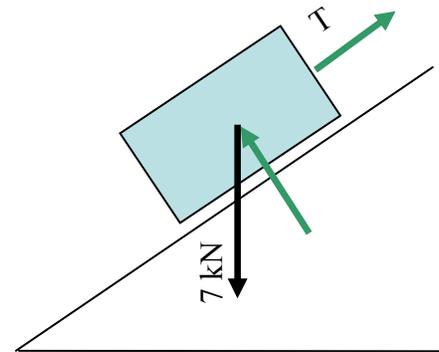
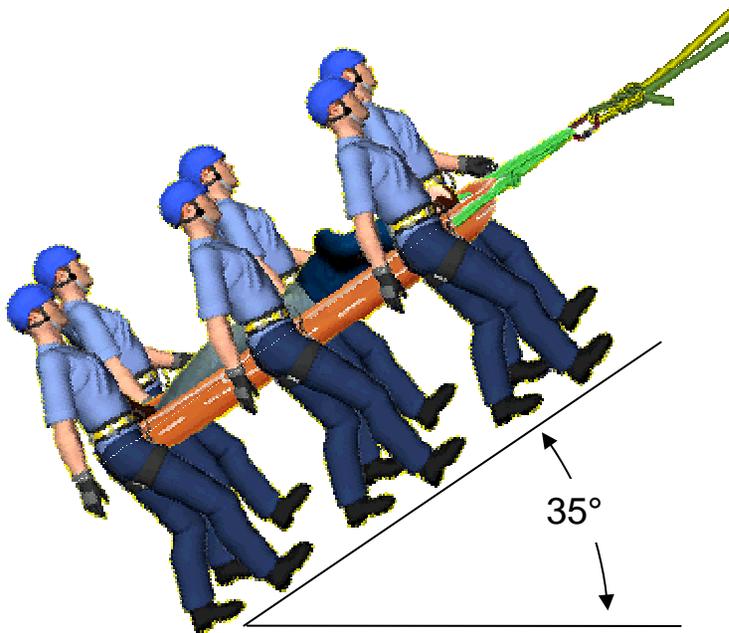
Carabiner Forces:



$$\begin{aligned}\cos(30^\circ) &= 500 \text{ lb} / T \\ T * \cos(30^\circ) &= 500 \text{ lb} \\ T &= 577 \text{ lb}\end{aligned}$$

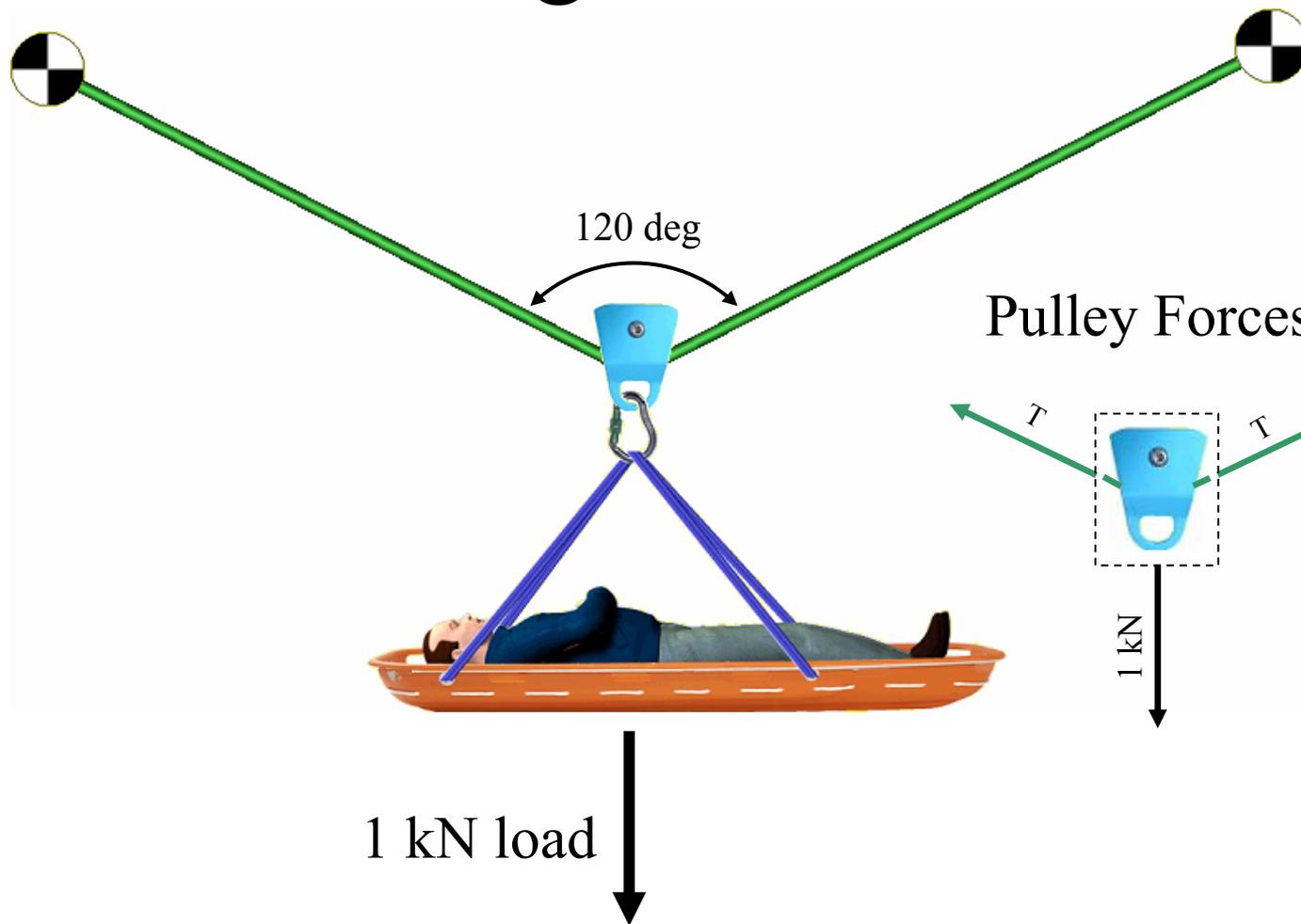
# Litter Team Forces

Litter Team Forces:



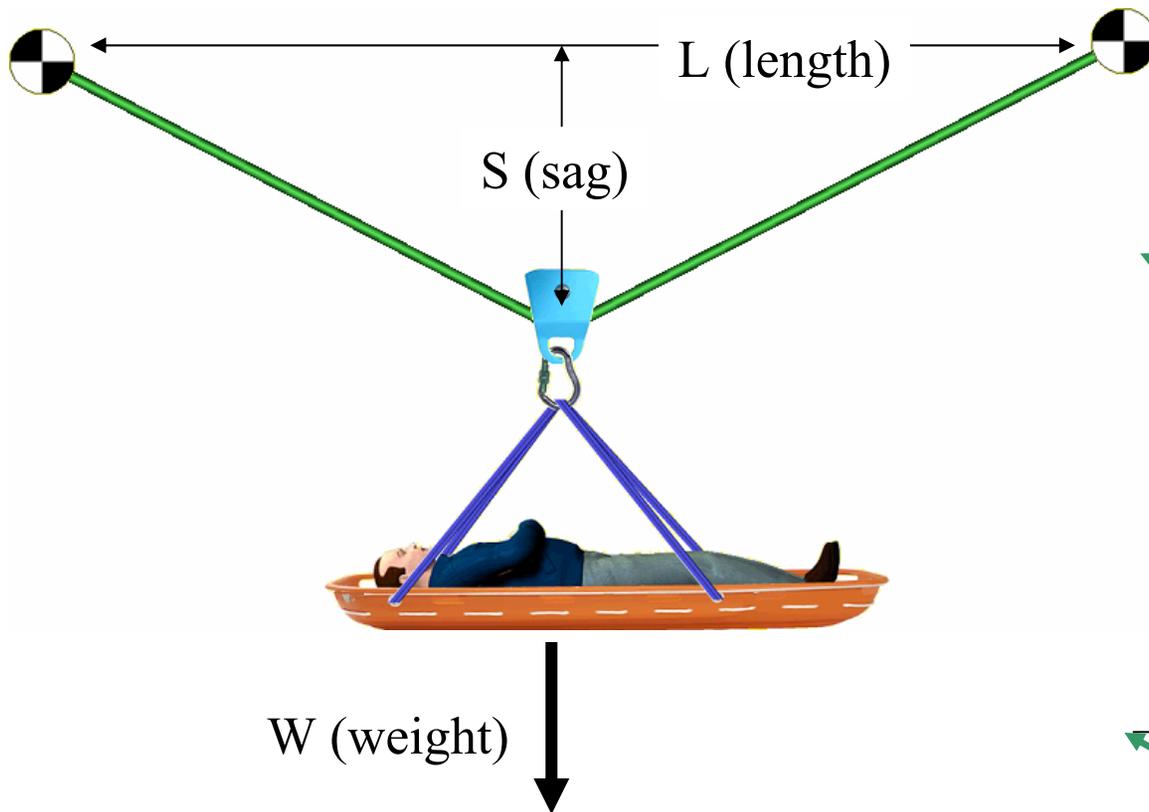
$$\begin{aligned}\sin(35^\circ) &= T / 7 \text{ kN} \\ T &= 7 \text{ kN} * \sin(35^\circ) \\ T &= 4.0 \text{ kN} = 900 \text{ lb}\end{aligned}$$

# Highline Forces

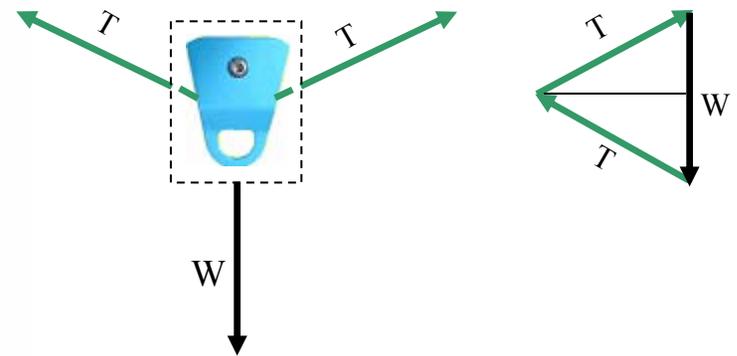


$$\cos(60^\circ) = 500\text{N} / T$$
$$T \cdot \cos(60^\circ) = 500\text{N}$$
$$T = 1 \text{ kN}$$

# More Highline Forces



Pulley Forces:



Similar Triangles:

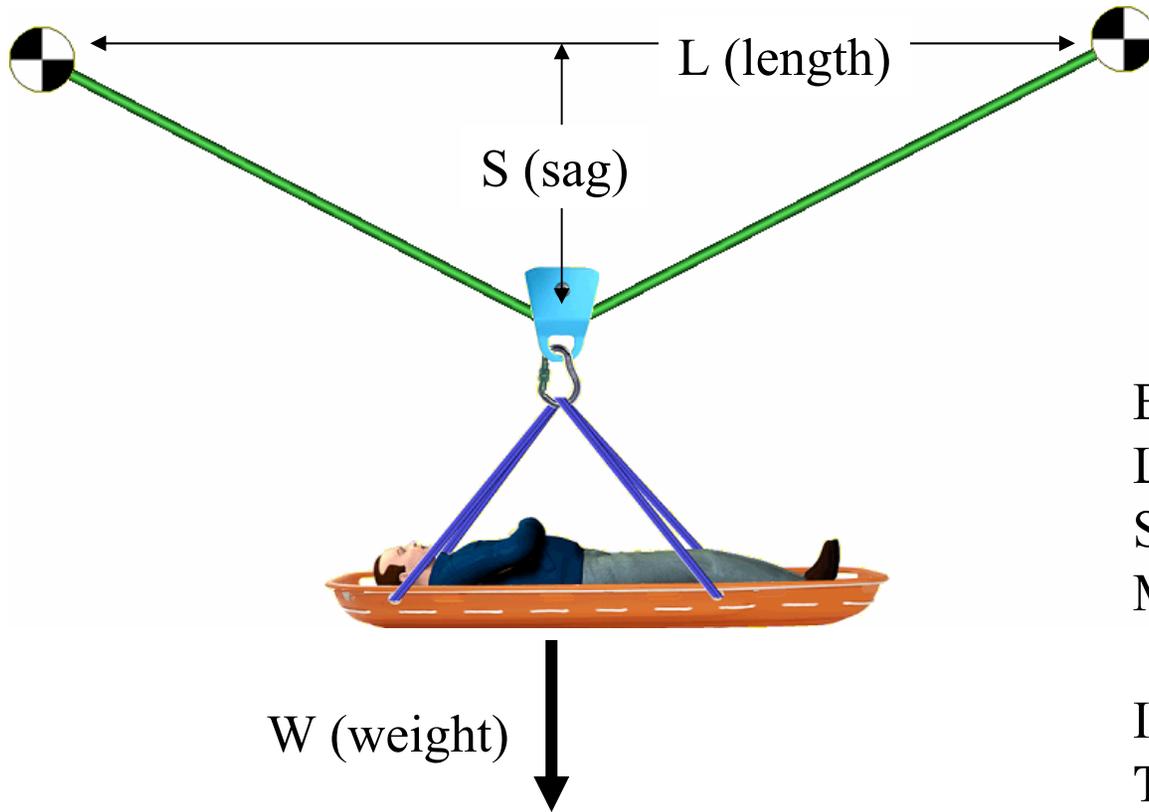


$$T / (W/2) \approx (L/2) / S$$

$$T \approx (W/2) * (L/2) / S$$

$$T \approx W * (L / 4S)$$

# More Highline Forces



$$T \approx W * (L / 4S)$$

Example:

L = 200 ft

S = 10 ft

Multiplier =  $200 / (4 * 10) = 5$

If W = 200 lbs, then

**T = 5 x 200 lbs = 1000 lbs**

# Active Highline Forces



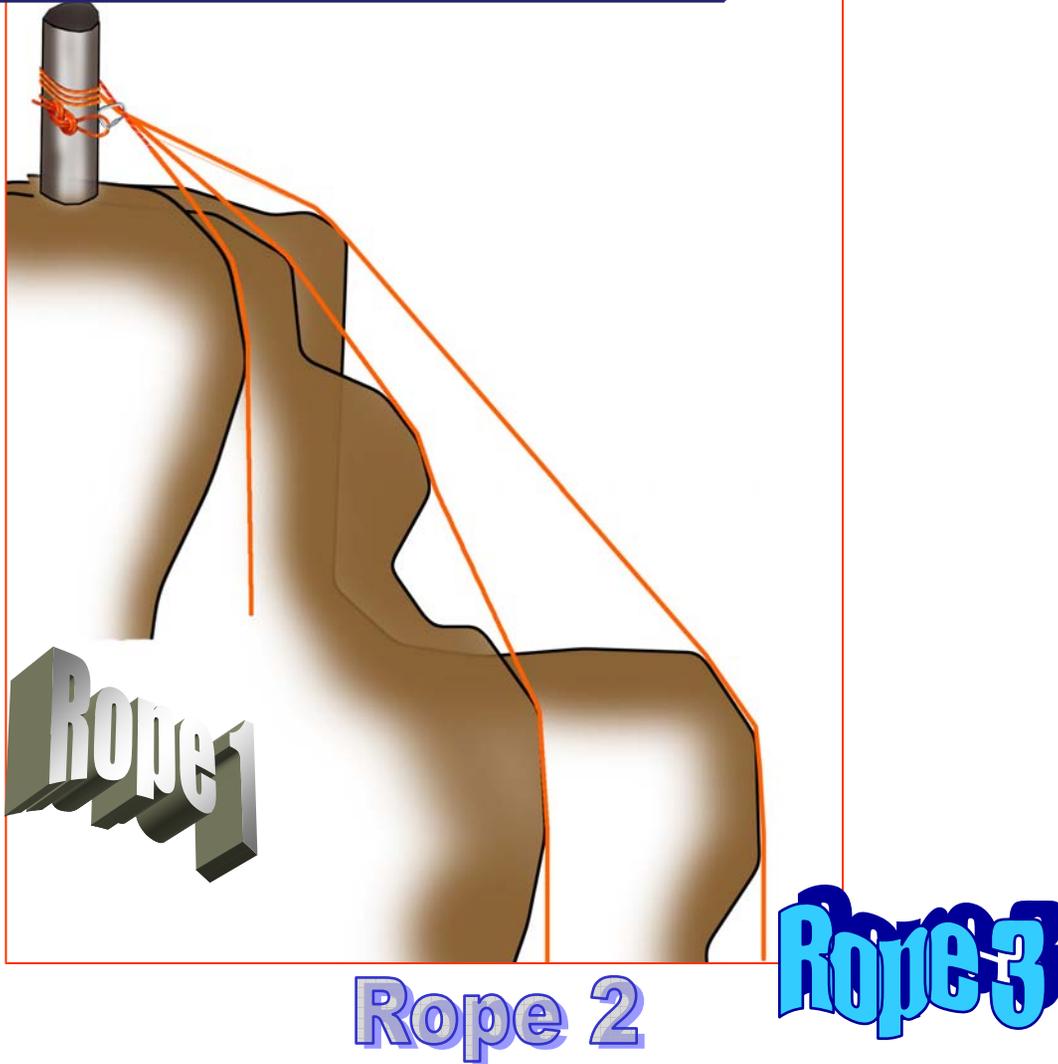
Highline Tension  $\approx 50 \text{ lbs} \times (\text{number of haulers}) \times \text{MA}$   
As shown here,  $T \approx 50 \times 3 \times 3 = 450 \text{ lbs}$

Some teams talk about a “rule of 12”

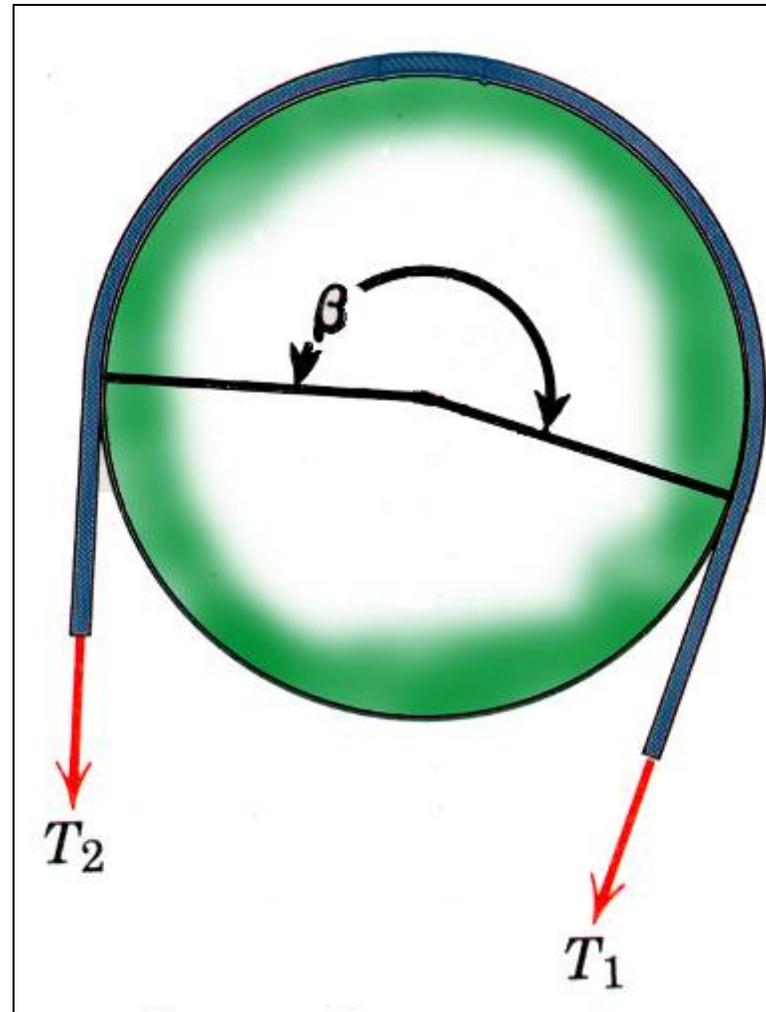
Haulers  $\times$  MA must be less than 12.

This is equivalent to a 600 lb working load limit.

Which rope has more friction?

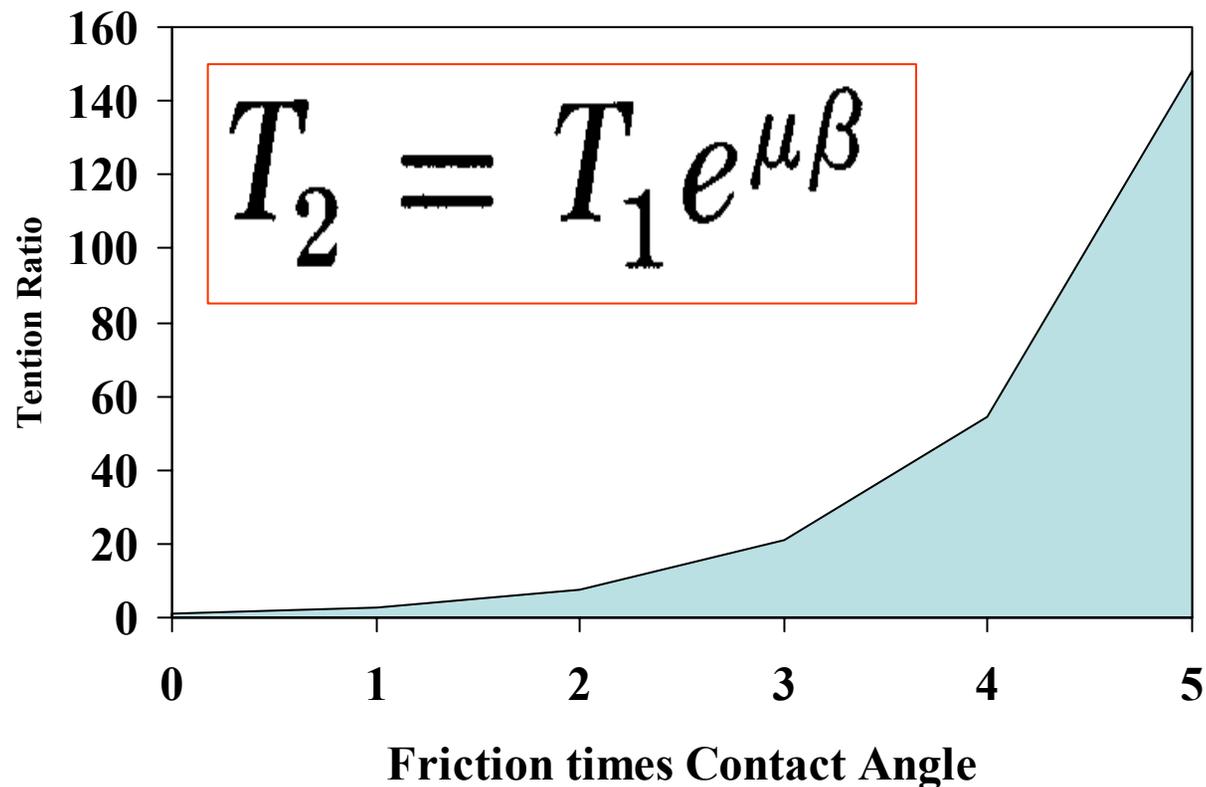


# Friction from a Belt



$$T_2 = T_1 e^{\mu\beta}$$

# Exponential Function of Friction and Contact Angle

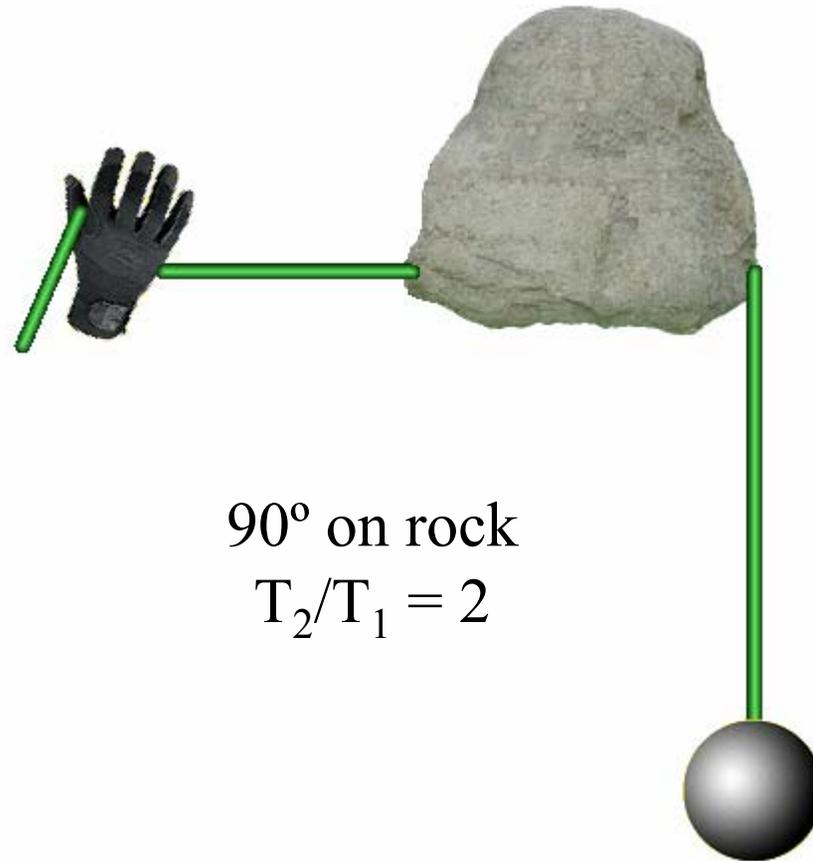


# Useful Friction Approximations



180° on carabiner

$$T_2/T_1 = 2$$



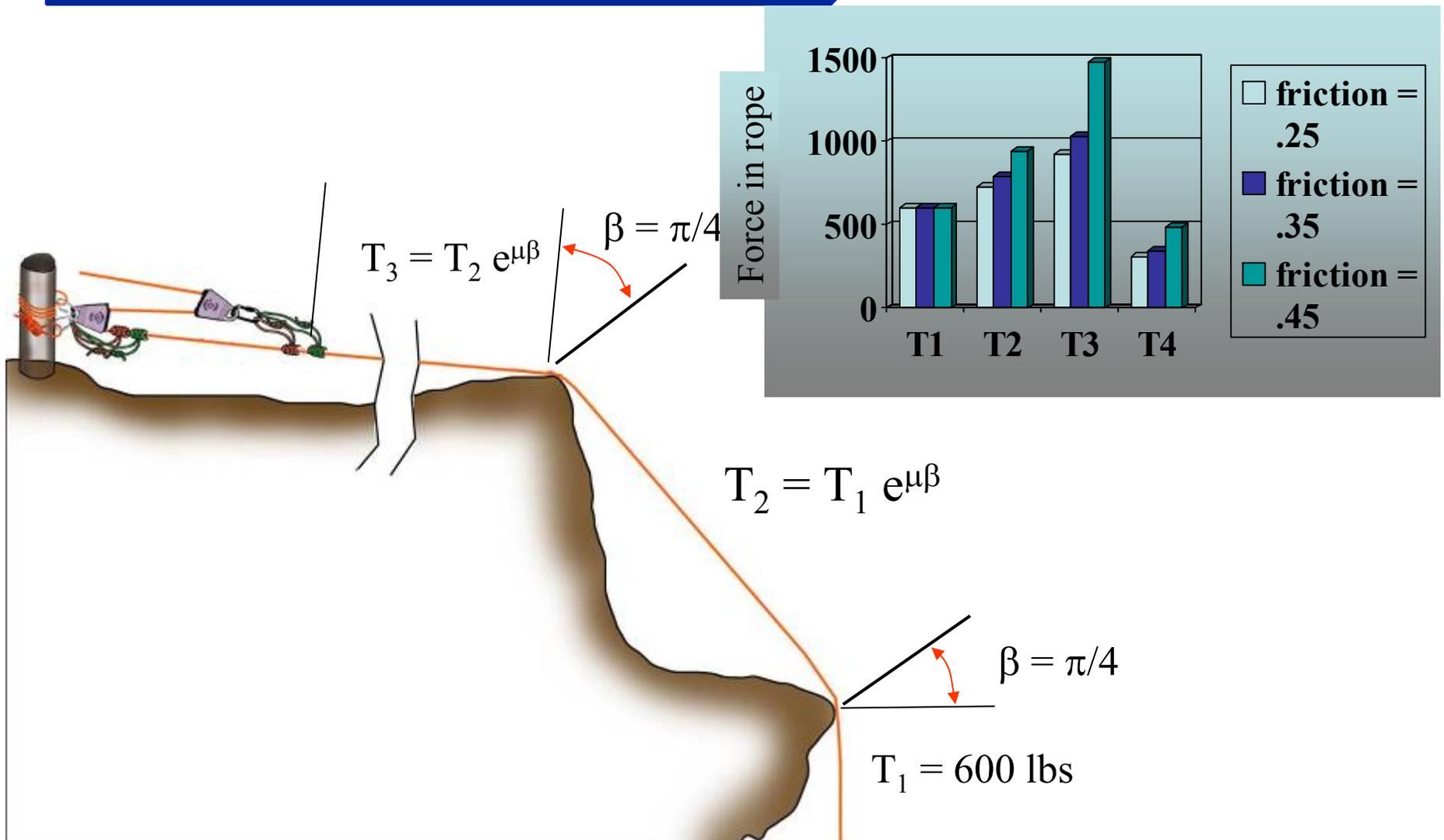
90° on rock

$$T_2/T_1 = 2$$

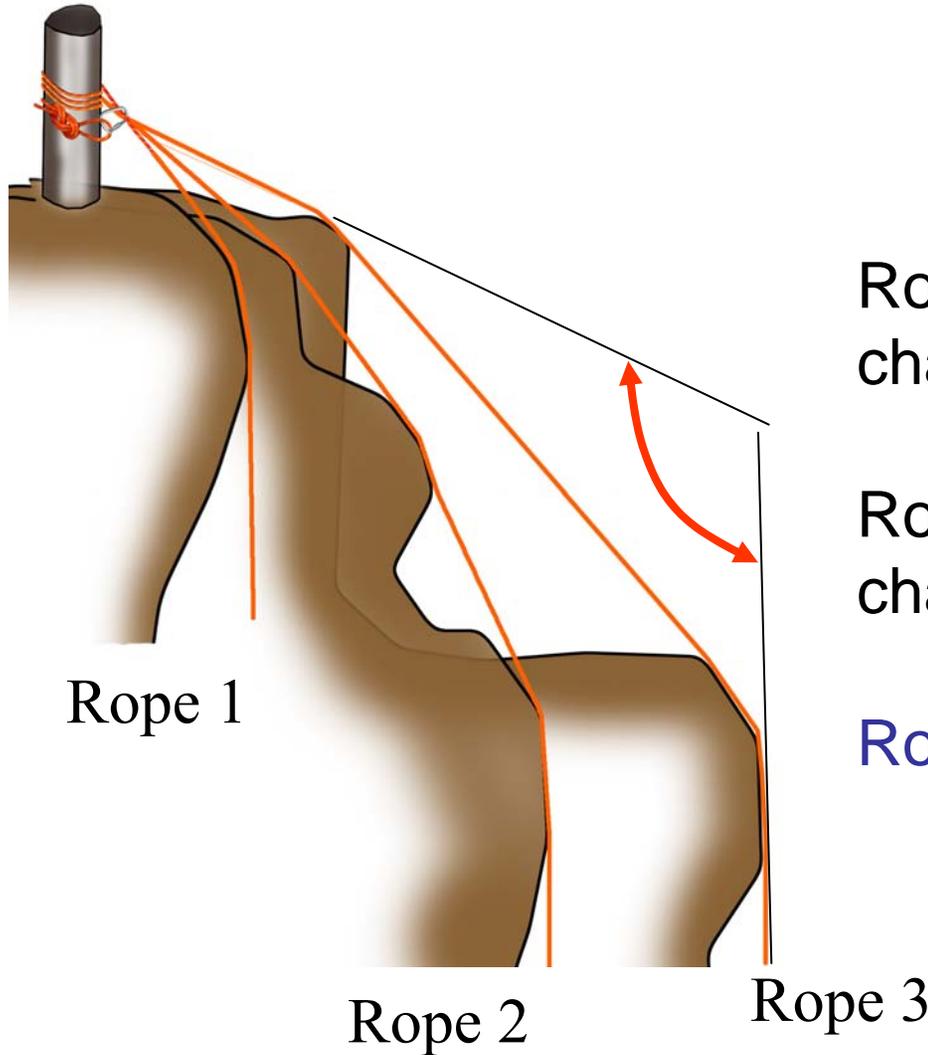
Tension increases if hauling. Tension decreases if lowering.

What is  $T_2/T_1$  for a 180° change on rock? For 360°?

# Friction Example



# Which rope has more friction?



Rope 3 has the greatest change in angle

Rope 1 has the smallest change in angle

Rope 3 has the most friction